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AN OPTICAL PHYSICS INSPIRED CNN APPROACH FOR INTRINSIC IMAGE DECOMPOSITION

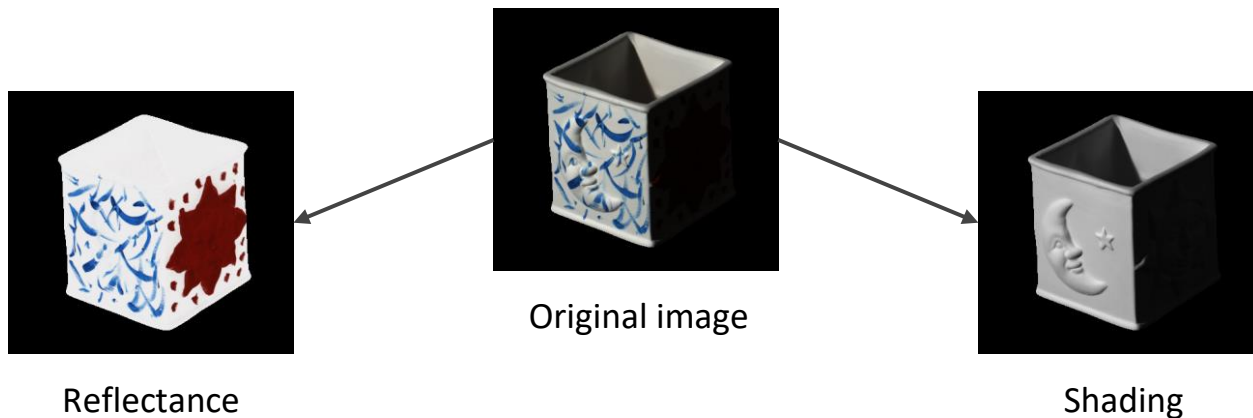


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Intrinsic Image Decomposition (IID)

Intrinsic Image Decomposition (IID) is the problem of **decomposing an image into its constituents**



IID - Background

- Supervised IID
 - Impractical due to the absence of large datasets with ground truth.
- Unsupervised IID
 - Not robust enough to decompose images with various scene types in different lighting conditions.
 - Techniques based on human vision system (e.g. retinex theory) do not exploit the existing physics understanding of light into account in improving the image decomposition.

Proposed Physics based IID

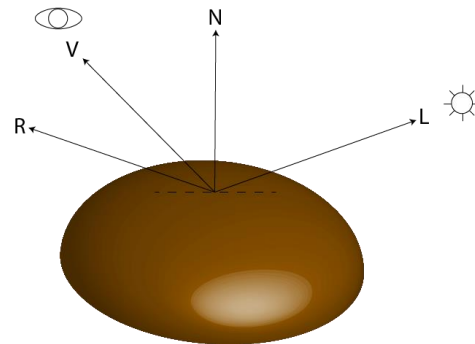
A novel **unsupervised IID** framework inspired by **optical physics** capable of decomposing a **wide variety** of images captured under different lighting conditions.

Image Interpretation - Phong's model

The perceived pixel intensity of an image is given by the **Phong's model**.

The main components of an image are:

- 1) Ambient light intensity
- 2) Diffused light intensity
- 3) Specular light intensity



Phong's model - Mathematical Formulation

The pixel Intensity at point p is,

$$I_p = \int_{\lambda} \underbrace{k_a r_p(\lambda) i_a(\lambda)}_{\text{Ambient}} + \sum_{\hat{L}^{(n)} \in \mathbf{L}} \underbrace{\{k_d r_p(\lambda) [\hat{L}^{(n)} \cdot \hat{N}_p] i_d^{(n)}(\lambda)\}}_{\text{Diffused}} + \underbrace{k_s s_p(\lambda) [\hat{R}^{(n)} \cdot \hat{V}]^{\gamma} i_s^{(n)}(\lambda)}_{\text{Specular}} d\lambda$$

Phong's model - Mathematical Formulation

First consider a narrow band (λ_c),

$$I_p(\lambda_c) = \cancel{k_a r_p(\lambda_c) i_a(\lambda_c)} + \sum_{\hat{L}^{(n)} \in \mathbf{L}} \{ \cancel{k_d r_p(\lambda_c) [\hat{L}^{(n)} \cdot \hat{N}_p] i_d^{(n)}(\lambda_c)} + \cancel{k_s s_p(\lambda_c) [\hat{R}^{(n)} \cdot \hat{V}]^\gamma i_s^{(n)}(\lambda_c)} \}$$

Then assuming :

- 1) The ambient illumination is constant
- 2) Only one light source exists
- 3) Specular term is negligible
- 4) Ignoring coefficient

$$I_p(\lambda_c) = \underbrace{r_p(\lambda_c)}_{\text{Reflectance}} \underbrace{[\hat{L} \cdot \hat{N}_p]}_{\text{Shading}} i_d(\lambda_c)$$

Parameters derived from the image

1. **Reflectance Ratio Gradient (RRG)**

Identify the boundaries of the uniform reflectance in an image.

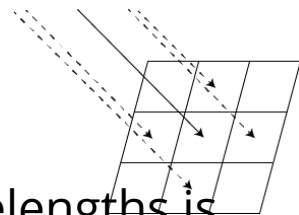
2. **Reflectance Approximation Map (RAM)**

Approximate reflectance of an image.

3. **Shading Gradient (SG)**

Gradient of the shading map of an image.

Reflectance Ratio Gradient



The **log ratio** of pixel intensity between 2 narrow band wavelengths is,

$$\mathcal{J}_p(\lambda_a, \lambda_b) = \log \left(\frac{I_p(\lambda_a)}{I_p(\lambda_b)} \right) = \log \left(\frac{r_p(\lambda_a)i_d(\lambda_a)}{r_p(\lambda_b)i_d(\lambda_b)} \right)$$

Consider the gradient

Assuming that single wavelength intensity of adjacent pixels are equal

$$\nabla \mathcal{J}(\lambda_a, \lambda_b) = \nabla \log \left(\frac{r(\lambda_a)}{r(\lambda_b)} \right) \quad \text{RRG}$$

Reflectance Approximation Map

If $I_p(\lambda_a) = I_p(\lambda_b)$,then the log ratio $\mathcal{J}_p(\lambda_a, \lambda_b) = 0$.

If $I_p(\lambda_a) \gg I_p(\lambda_b)$,then the log ratio $\mathcal{J}_p(\lambda_a, \lambda_b)$ will be high and vise-versa

Based on this the RAM is used to approximate the reflectance (R) as,

$$\text{RAM}_R = \frac{\bar{\mathcal{J}}_p(\lambda_R, \lambda_G) + \bar{\mathcal{J}}_p(\lambda_R, \lambda_B)}{2}$$

RAM : Red channel

where $\bar{\mathcal{J}}_p(\lambda_R, \lambda_G)$ is the value clipped in $[0, 1]$

The RAM highlights the significant wavelength in the reflectance (R)

Shading Gradient Map

Consider $\mathcal{K}_p(\lambda_c) = \log(I_p(\lambda_c))$. If 2 neighboring pixels have the same reflectance, then the gradient is independent of reflectance and illumination.

$$\nabla \mathcal{K}(\lambda_c) = \mathcal{K}_{p_1}(\lambda_c) - \mathcal{K}_{p_2}(\lambda_c) = \nabla \log([\hat{L} \cdot \hat{N}])$$

In such points, the gradient is independent of reflectance and illumination.

So, SG is defined as,

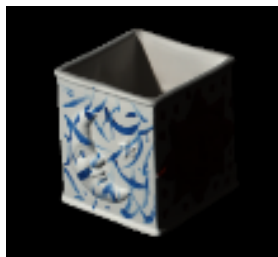
$$\nabla \mathcal{K}(\lambda_c) = \begin{cases} \nabla \log([\hat{L} \cdot \hat{N}]) & \text{if } M_{RRG}^{(c)} < 0.1 \\ 0 & \text{otherwise} \end{cases} ; c \in \{R, G, B\}$$
 SG Map

where $M_{RRG}^{(c)}$ is a filter to find pixels with same reflectance as their neighbors.

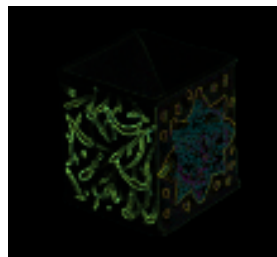
$$M_{RRG}^{(R)} = \frac{\nabla \mathcal{J}(\lambda_R, \lambda_G) + \nabla \mathcal{J}(\lambda_R, \lambda_B)}{2}$$

RRG, RAM and SG images

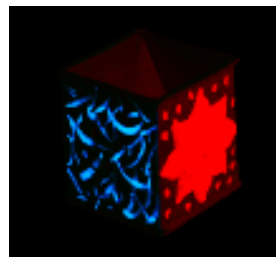
Input



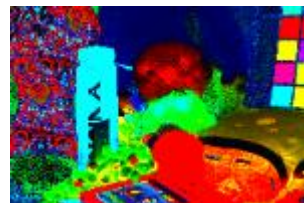
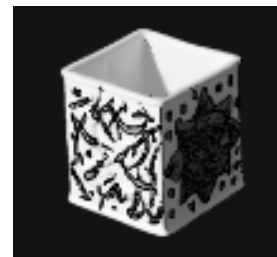
RRG



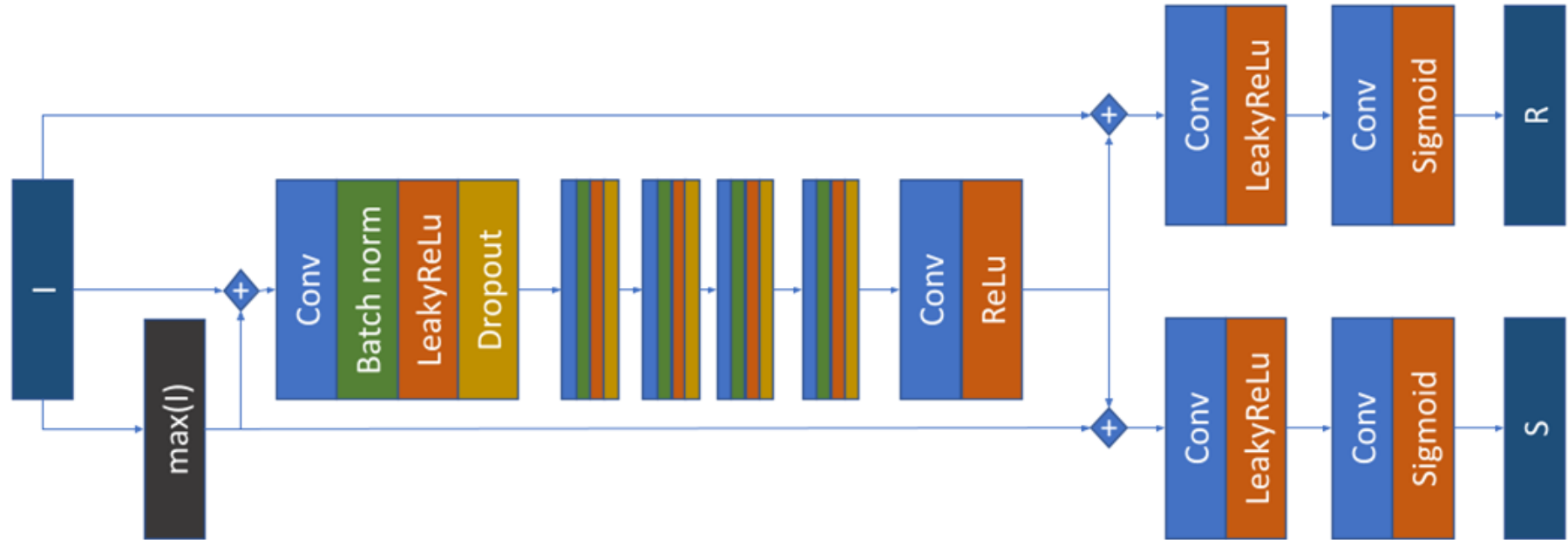
RAM



SG



Network Architecture



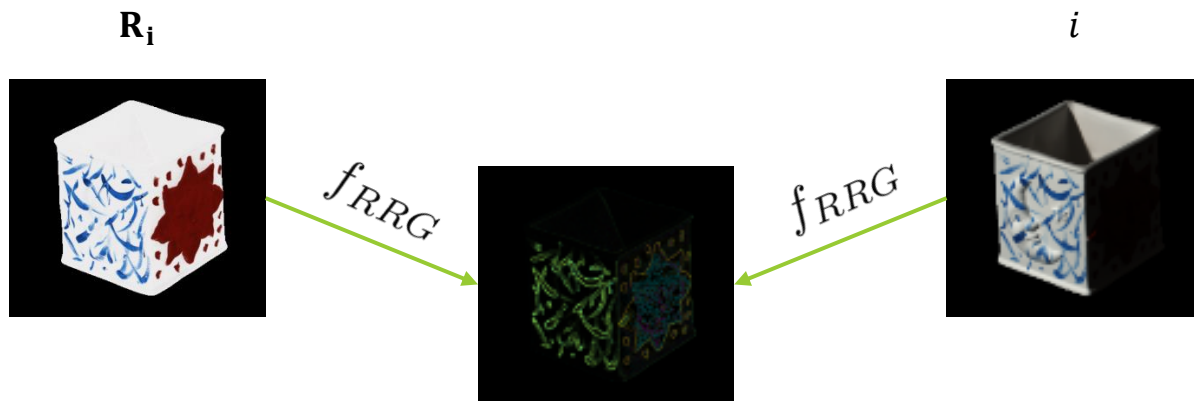
Proposed loss function

$$\mathcal{L} = \alpha_1 \mathcal{L}_{recon} + \alpha_2 \mathcal{L}_{ss} + \alpha_3 \mathcal{L}_{rrg} + \alpha_4 \mathcal{L}_{sg} + \alpha_5 \mathcal{L}_{ram}$$

1. Reconstruction loss
2. Shading smoothness loss
3. Reflectance Ratio Gradient (RRG) loss
4. Reflectance Approximation Map (RAM) loss
5. Shading Gradient (SG) loss

Reflectance Ratio Gradient Loss (1/5)

Ensures that the RRG of reflectance (R) is similar to the RRG of the image (i)



$$\mathcal{L}_{rrg} = \left\| \left\| f_{RRG}(\mathbf{R}_i) - f_{RRG}(i) \right\| \right\|_1$$

Reflectance Approximation Map Loss (2/5)

Ensures that the “**significant wavelength**” in the image and the reflectance are the same.



$$\mathcal{L}_{ram} = \left\| \left(\mathbf{R}_i - f_{RAM}(i) \right) \times f_{RAM}(i) \right\|_1$$

Shading Gradient Loss (3/5)

Ensures that the shading gradient of the image is similar to the natural logarithmic gradient of the shading component.



$$\mathcal{L}_{sg} = \left\| (\nabla \log(\mathbf{S}_i) - f'_{SG}(i)) \times f'_{SG}(i) \right\|_1$$

Reconstruction Loss (4/5)

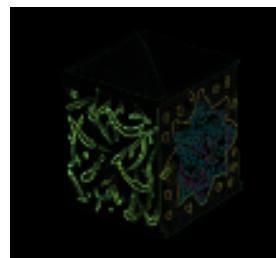
Ensures that the image (I) can be reconstructed from the Reflectance (R) and Shading (S).
(assumption: all reflectance maps are invariable of the lighting condition)



$$\mathcal{L}_{recon} = ||\mathbf{R}_i \mathbf{S}_i - \mathbf{I}_i||_1$$

Shading Smoothness Loss (5/5)

Ensures that the shading map (S) is smooth where the RRG is smooth.












$$\mathcal{L}_{ss} = \|\|\nabla \mathbf{S}_i \exp(-10 f_{RRG}(i))\|\|_1$$


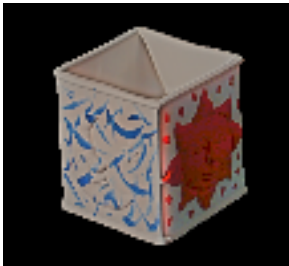







Training, Validation and Testing

- Training and Validation:
 - Dataset : LOL dataset. (485 training, 15 validation)
 - Epochs : 100 epochs using Adam optimizer.
 - Learning Rate : 0.002 initial with a exponential decay factor of 0.01
- Testing
 - Dataset : MIT dataset (20 images)










Visual comparison of output (1/3)

Input	Letry et.al	CGIntrinsic	RetinexNet	Ours	
					Reflectance
					Shading

Visual comparison of output (2/3)

Input	Letry et.al	CGIntrinsic	RetinexNet	Ours	
					Reflectance
					Shading

Visual comparison of output (3/3)

Input	Letry et.al	CGIntrinsic	RetinexNet	Ours	
					Reflectance
					Shading

Numerical comparison - Validation Set

Metric \ Method	LOL : 15 images			
	RMSE ↓	PSNR ↑	SSIM ↑	NIQE ↑
Letry et.al	21.87	<u>35.28</u>	0.96	7.55
CGIntrinsic	63.28	18.95	0.36	14.78
Retinex-net	<u>6.88</u>	34.64	0.90	<u>7.63</u>
Ours	2.00	43.12	<u>0.95</u>	<u>7.63</u>

↓ : Lower is better

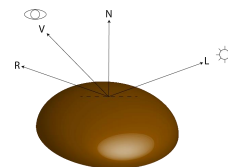
Numerical comparison - Test Set

Metric \ Method	MIT : 20 Images				MIT (R)		MIT (S)	
	RMSE	PSNR	SSIM	NIQE	RMSE	PSNR	RMSE	PSNR
Letry et.al	6.67	<u>39.26</u>	0.99	12.06	41.91	16.58	40.88	16.46
CGIntrinsic	40.95	17.36	0.11	17.47	48.47	<u>16.28</u>	59.62	12.99
Retinex-net	<u>3.77</u>	37.85	0.95	<u>14.02</u>	67.39	13.48	<u>37.97</u>	<u>18.54</u>
Ours	1.04	41.66	<u>0.96</u>	<u>14.02</u>	<u>45.90</u>	15.82	30.54	20.14

Summary

- Intrinsic Image Decomposition (IID) with simplified Phong's model.

$$\underbrace{I_p(\lambda_c)}_{\text{Image}} = \underbrace{r_p(\lambda_c)}_{\text{Reflectance}} \underbrace{[\hat{L} \cdot \hat{N}_p]}_{\text{Shading}} i_d(\lambda_c)$$



- A set of maps (RRM, RAM, SG) to extract meaningful information from images.
- Optical physics inspired loss function and CNN model

$$\mathcal{L} = \alpha_1 \mathcal{L}_{recon} + \alpha_2 \mathcal{L}_{ss} + \alpha_3 \mathcal{L}_{rrg} + \alpha_4 \mathcal{L}_{sg} + \alpha_5 \mathcal{L}_{ram}$$



- Evaluating the model using numerical (RMSE, PSNR, SSIM, NIQE) and visual results.